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[76/F	SARDAR PATEL UNIVERSITY M.Sc. (Semester-III) Examination	
ьц `	October - 2016	
	Friday, 28 October 2016	
•	Time: 02:00 PM to 5:00 PM	
	Subject: Mathematics	
	ngoathatilla (Operations Research)	
Note: (1) A	Course No.PS03EWTHT3 (Operations) All questions (including multiple choice questions) are to be answered in the answer book of Numbers to the right indicate full marks of the respective question.	niy.
	Choose most appropriate answer from the options given.	(80)
•	I DD wast have	
(1) 1	() - highering function \0/00000000000000000000000000000000000	
7	(a) desigion variables (d) an of mose	
	and the contract of the contra	
` ((a) finite (b) convex (c) rectangular (d) polygonation the feasible region	
(3)	In the graphical method, opinhal solution has vertices of (d) anywhere outside	
	(a) inside (b) on the edges of (c) on the vertices of (d) and the vertices of	
(4)	A basic solution to the system is cancu	
	are non-negative. (b) feasible	
	(a) non facilite	
(#)	(c) degenerated the degree maximization problem optimal solution is reached if all	
	(a) $z_j - c_j \ge 0$ (b) $z_j - c_j > 0$ (c) z_j of Which of the following method is not suitable for solving in an assignment	
(6)		
	problem? (a) Hungarian (b) complete evaluation (c) VAM (d) all of these	
(7)	If the demand is less than the availability in a 11 then	
(1)	() Journal demand holls zero cost is audou.	
	(b) a dummy demand point with negative cost is added.	
	(a) a dummy source with zero cost is added.	
	(4) a drammy course with negative cost is added.	
(8)	An optimization problem is called an NEFF in	
	(a) the objective function is non-linear	
N.	(b) all constraints are linear	
	(c) all constraints are of '=' type	
	(d) none of the above	(14)
Q-2	Answer any Seven.	, ,
(1)	What are limitations of graphical method for solving an LPP?	
(2)	What is meant by canonical form of all Left.	
(3)	C titional vortable/	
(4)	D. Grand convoy set	
(5		
(6		
(7	Explain how an assignment problem can be regulated.	
	problem. Describe the complete enumeration method for solving an assignment problem	
(5	9) What is bordered Hessian matrix?	•

Q-3

State and prove Fundamental Theorem of Linear Programming.

(06)(06)

A company produces pen drives and memory cards at two different factories. Daily production capacity at Factory A is 16 boxes of pen drives and 20 boxes of memory cards and at Factory B it is 12 boxes of pen drives and 20 boxes of memory cards. Daily running cost of Factory A and Factory B is Rs. 1000 and Rs. 800 respectively. Using graphical method find the number of days should each factory be operated so that 96 boxes of pen drives and 140 boxes of memory cards manufactured at a minimum cost.

Using simplex method solve the system: $x_1 + x_2 = 1$, $2x_1 + x_2 = 3$. (b)

Q-4

Describe the steps in simplex method of solving an LPP.

(06)

Obtain the dual of the following problem:

(06)

 $\operatorname{Max} Z = x_1 - 3x_2 - 2x_3$ subject to $3x_1 - x_2 + 2x_3 \le 7$, $2x_1 - 4x_2 \ge 12$, $-4x_1 + 3x_2 + 8x_3 = 10$ $x_1, x_2 \ge 0$ and x_3 unrestricted in sign.

(b) Using two-phase method show that the following LPP has no feasible solution: Max. $Z = 5x_1 + 3x_2$ subject to $2x_1 + x_2 \le 0$, $x_1 + 4x_2 \ge 6$ and $x_1, x_2, x_3 \ge 0$.

Q-5

- State various methods to obtain initial basic feasible solution to a transportation (06)problem. Describe any one.
- Express the following transportation problem as a linear programming problem (06)

	D1	D2	D3	D4	Availability
01	. 11	13	17	14	250
O2	16	18	14	10	300
O3	21	24	13	10	400
Demand	200	225	275	250	

OR

Solve the following TP using an appropriate method

	D1	D2	D3	D4	D5	Availability
Mumbai	20	18	18	21	19	100
Delhi	_ 21	22	23	20	24	125
Kolkata	18	19	21	18	19	175
Requirement	60	80	85	105	70	

Q-6

Using Hungarian method solve the following assignment problem.

(06)

Tasks	Men					
1 45%5	E	F	G	Н		
Α	18	26	17	11		
В	13	28	14	26		
C	38	19	18	15		
D	19	26	24	10		

(b) Discuss graphical representation of the following NLPP Max. $f(x_1, x_2) = x_1^2 + x_2^2$ s. t. $x_2^2 - x_1 \le 1$, $x_1 + x_2 \le 2$; $x_1, x_2 \ge 0$

(06)

$$-x_1 \leq 1$$
, $x_1 + x_2 \leq 2$; $x_1, x_2 \geq 0$

(b) Obtain bordered Hessian matrix for the following NLPP:

Optimize
$$z = 4x_1 + 9x_2 - x_1^2 - x_2^2$$
 subject to the constraints $4x_1 + 3x_2 = 15$, $3x_1 + 5x_2 = 14$ and $x_1, x_2 \ge 0$.